

Development of a new Solar Radiance-To-Flux Conversion to Improve SW Flux Estimations

–final presentation–

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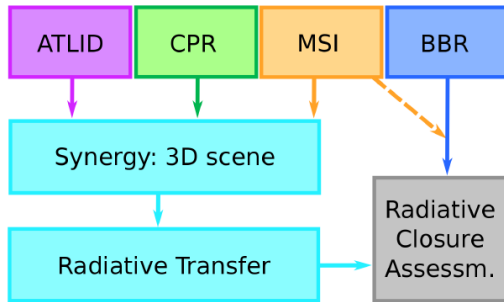
⁶GMV, Madrid

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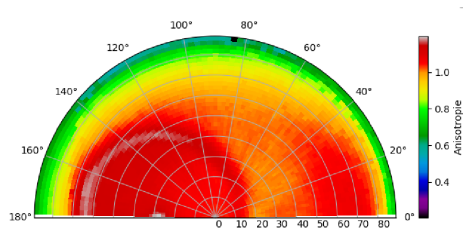
March 10, 2021



- ▶ EarhtCare's **Radiative closure** successful if $\Delta F = F_{RT} - F_{BBR}$ within $\pm 10 \text{ Wm}^2$

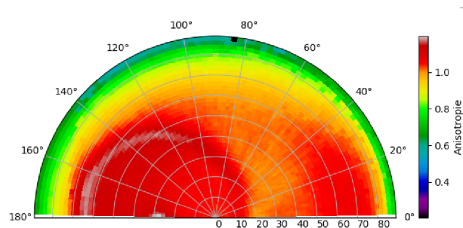


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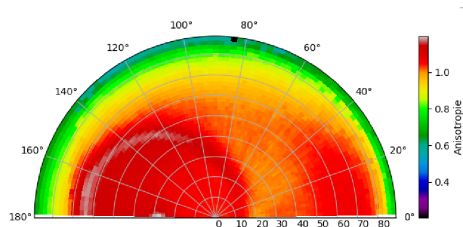
SW radiance angular dependency of an overcast scene with $\tau = 12$

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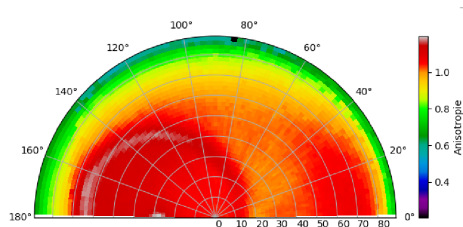
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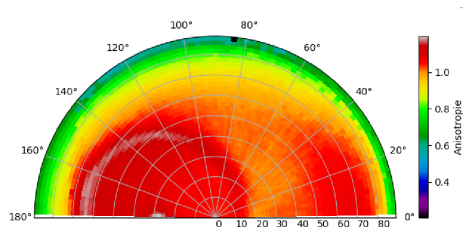
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 - ▶ **State-of-art** sigmoidal approach is a function of τ , f and w_{10m}
 - ▶ **lack** of important **dependencies** of e.g. **cloud micro-physics**



SW radiance angular dependency of an overcast scene with $\tau = 12$

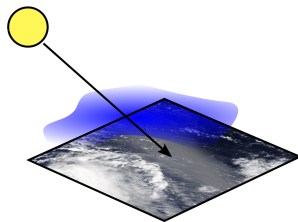
- ▶ Incorporated **additional dependencies** of SW radiance to cloud micro-physics (via R_{eff})

$$\log I(\theta_s, \theta_v, \phi) \sim \log S_0 + \log \alpha - 2 \cdot CTWV$$

S_0 = solar constant

α = footprint albedo

θ_s, θ_v, ϕ = sun-observer angles



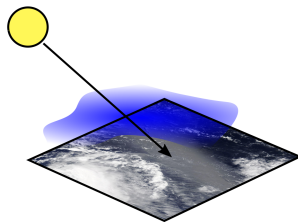
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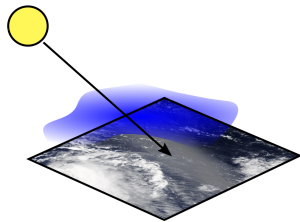
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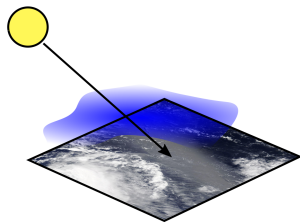
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- ▶ **Footprint albedo** $\alpha(f, w_{10}, \tau, R_{eff})$ is calculated using **two-stream theory**

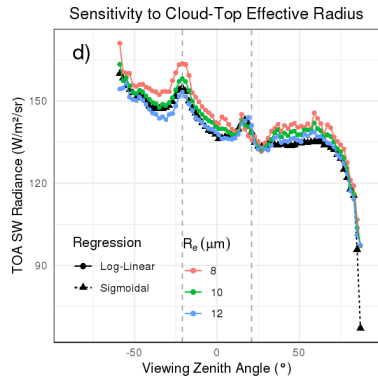
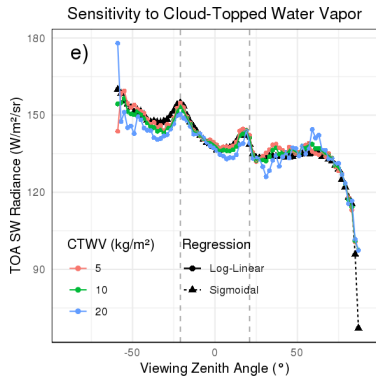
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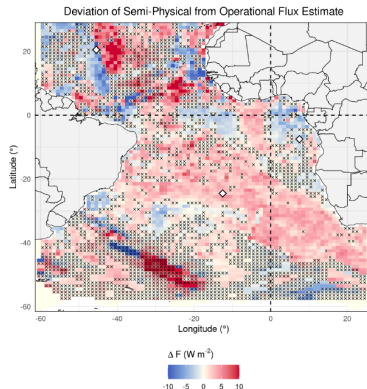




$CTWV$ -sensitivity along the PP $\theta_S = 21^\circ$, ?

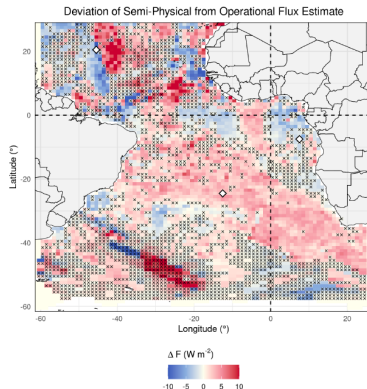
R_{eff} -sensitivity along the PP $\theta_S = 21^\circ$, ?

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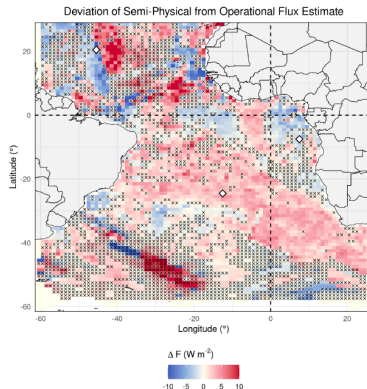
Daily flux of log-linear minus operational approach for July 11th 2007 ?

- ▶ **Instantaneous flux deviations** of up to $\pm 25 \text{ W/m}^2$ when applied to CERES-MODIS and GERB-SEVIRI observations of **marine clouds**
- ▶ **Deviations** associated with **extremes** in R_{eff}



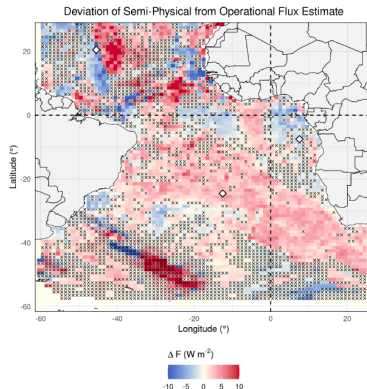
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- ▶ and **monthly means** (up to $\pm 5 \text{ W/m}^2$)



Daily flux of log-linear minus operational approach for July 11th 2007 ?

Thank You For Your Attention!